

Recognizing Proportional Relationships

- To decide if two quantities are in a proportional relationship...
 - Use cross products!!!

This is
not a proportional
relationship $3 \times 6 = 18$

$$\frac{3}{8} \neq \frac{5}{6}$$

$$5 \times 8 = 40$$

$$18 \neq 40$$

$$\frac{4}{6} = \frac{6}{9}$$

$$36 = 36$$

This IS a
proportional
relationship!

- Test for equivalent ratios in a table and find the scale factor (also called the *constant of proportionality* and the *unit rate*)

T	D
2	50
3	75
5	125
7	175
8	200

$$D = 25T$$

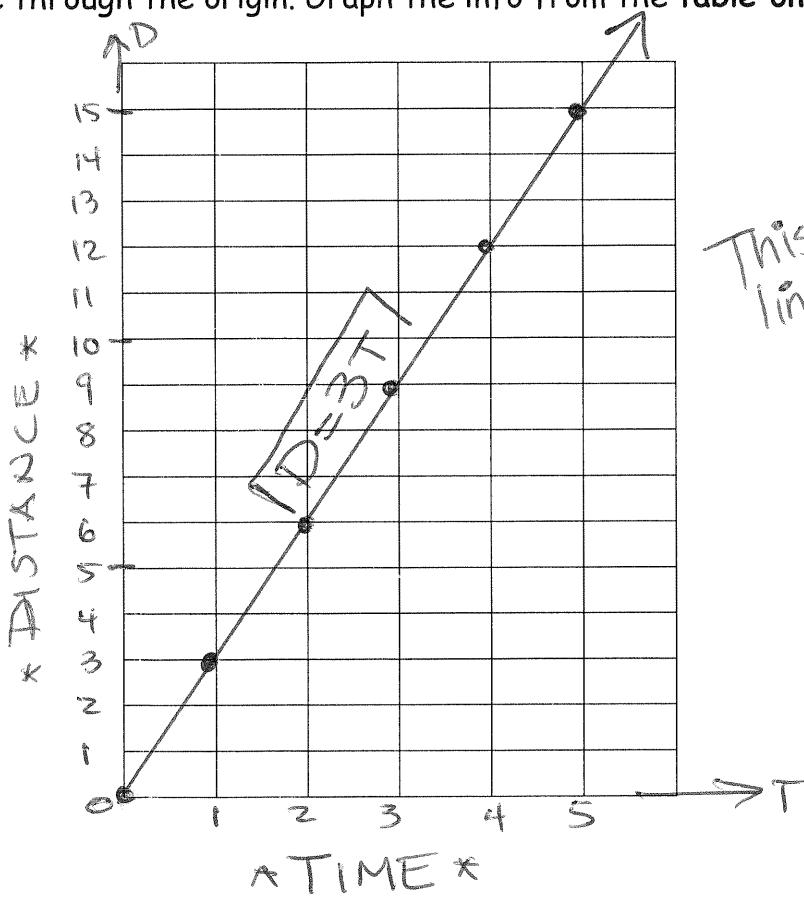
The scale
factor is 25!

T	D
1	3
2	6
3	9
4	12
5	15

$$D = 3T$$

The scale
factor is 3!

- Graph on a coordinate plane and observe whether the graph is a straight line through the origin. Graph the info from the table on the right.



This is a straight
line through the origin
 $D = 3T$, the table
on the right
IS a proportional
relationship!

- ❖ Can you identify the constant of proportionality (unit rate)...

- In a table?

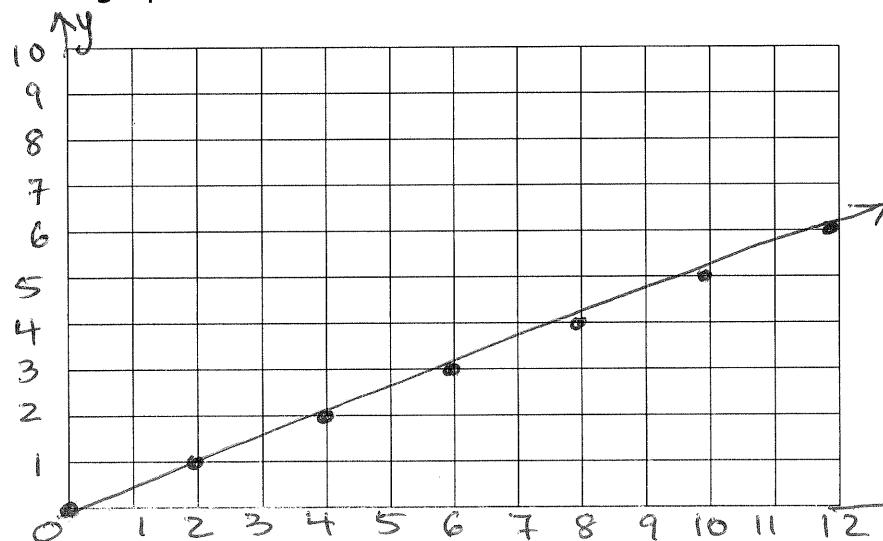
Number of Dogs	0	1	2	3	4
Amount of Toys	0	2	4	6	8

The constant of proportionality
is $\underline{\underline{2}}$!

Hours	\$
2	16
3	24
7	56
8	64
9	72
12	96

The
constant of
proportionality
 $\underline{\underline{8}}$.

- On a graph?



The constant
of proportionality
is $\underline{\underline{1/2}}$!
(up one, over 2)

- In an equation?

$$y = \underline{\underline{3}}x$$

The constant of proportionality is $\underline{\underline{3}}$!

- From a diagram?



The constant
of proportionality
 $\underline{\underline{3}}$

- From a verbal description?

Ex. 1... The amount of money that Susie earns is twice the amount of money that her little brother earns.

Ex. 2... The distance a person travels is 50 times the number of hours.

Ex. 3... The total cost t , is proportional to the number n of items purchased at a constant price p . First, represent this proportional relationship in an equation.

Then identify the constant of proportionality. $t = pn$

p is the
constant of
proportionality